

# *The principle of palaeointensity determination*



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During the last cooling cycle in the past:

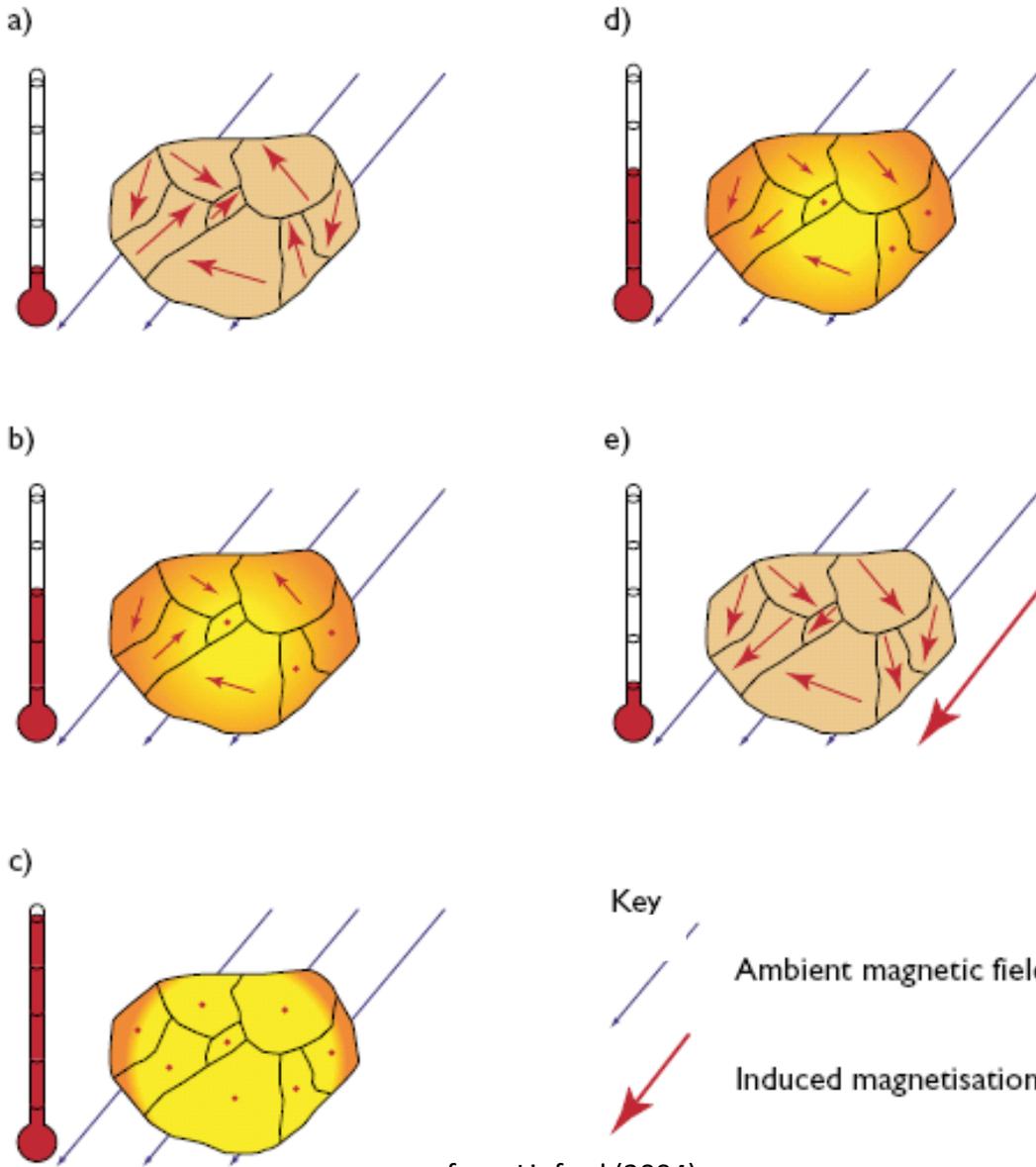
Baked material acquired a magnetisation parallel to the ambient Earth's field at that time.

This information is stored until present day.

## Basic approach

**Re-heating the sample in the laboratory to get the ancient absolute field intensity.**

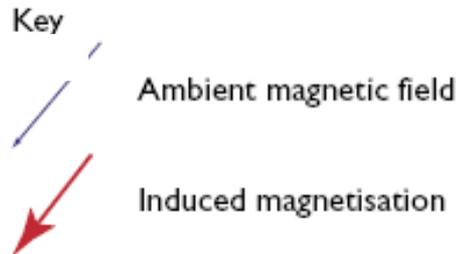
# Thermo remanent magnetisation (TRM)



## In baked materials

When a sample is heated above the Curie-temperature and then cooled in the Earth's magnetic field, it acquires a thermo-remanent magnetisation.

Remanent magnetisation of a sample is in general parallel to the ambient geomagnetic field.



from Linford (2004)

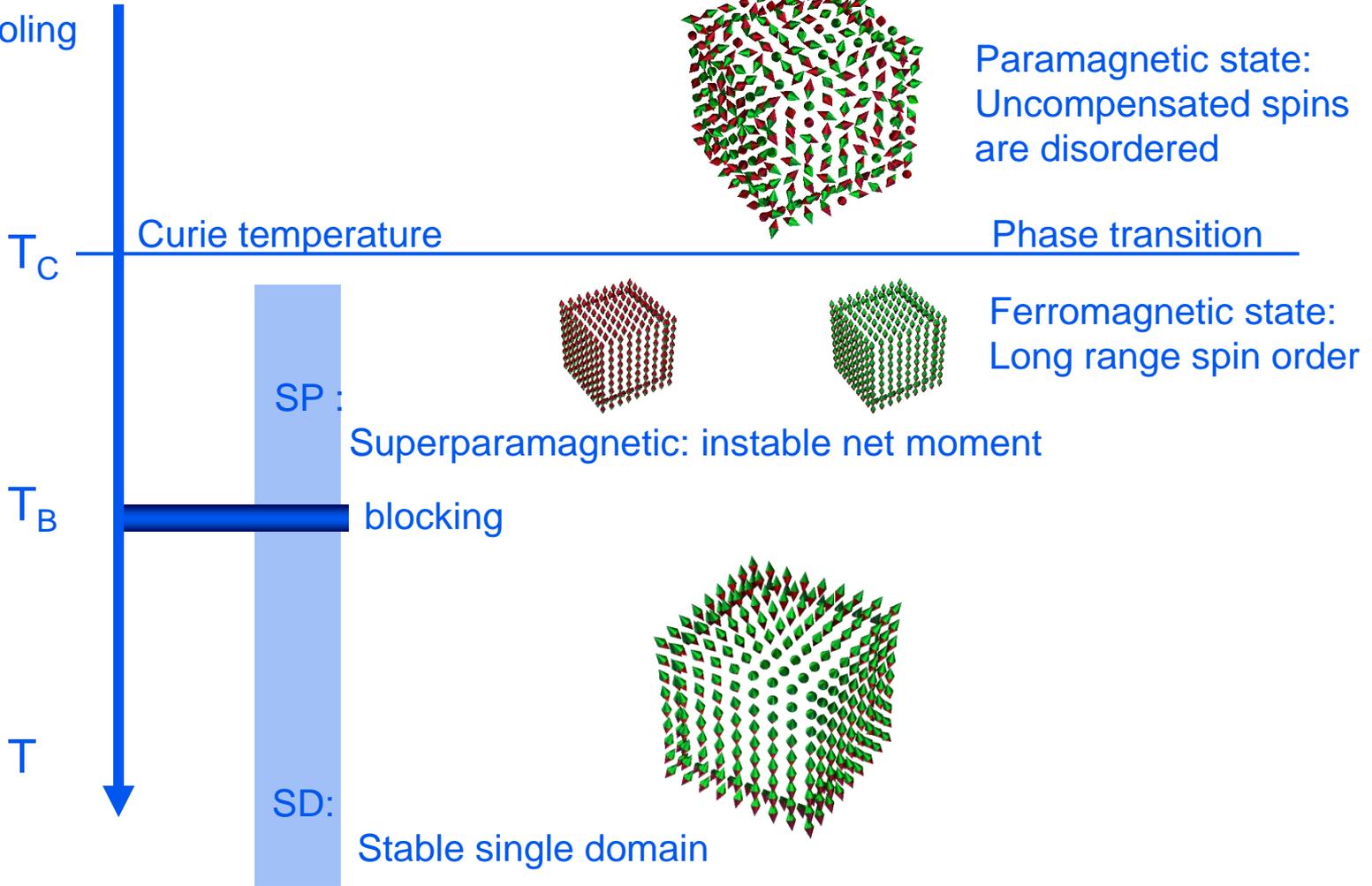
# Thermo remanent magnetisation (TRM)

## Definition TRM



Pierre Curie

Cooling



Slide by the courtesy of Karl Fabian (2005)



# Thermo remanent magnetisation (TRM)

## Definition of TRM



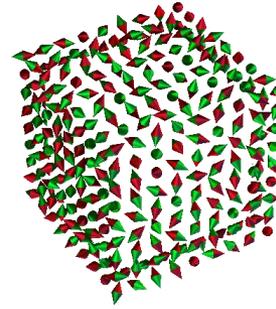
Pierre Curie

Cooling

$T_C$

Curie temperature

T



Paramagnetic state:  
Uncompensated spins  
are disordered

Phase transition

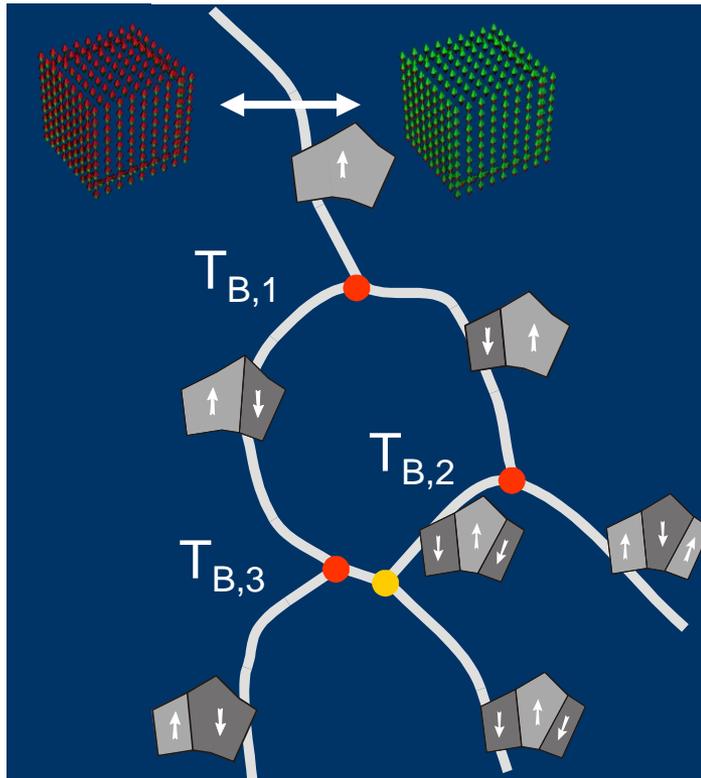
Ferromagnetic state:  
Long range spin order

$S_j$

MD:

Cascade of possible  
domain configurations  
and sub-blocking temperatures

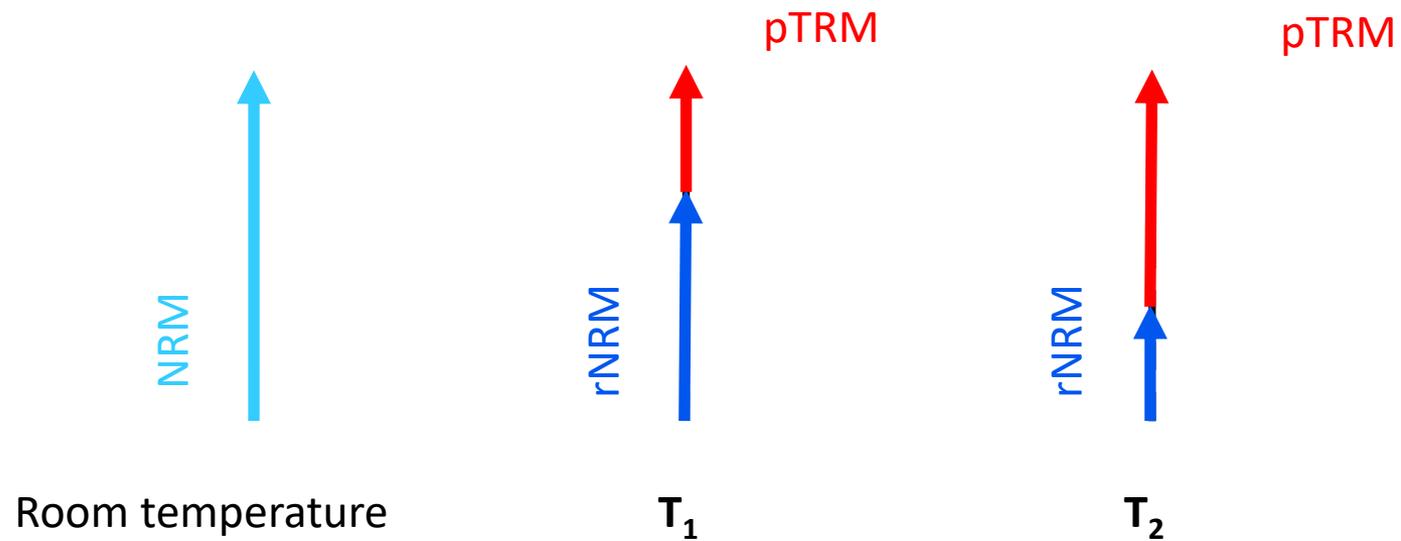
Transdomain processes



Slide by the courtesy of Karl Fabian (2005)

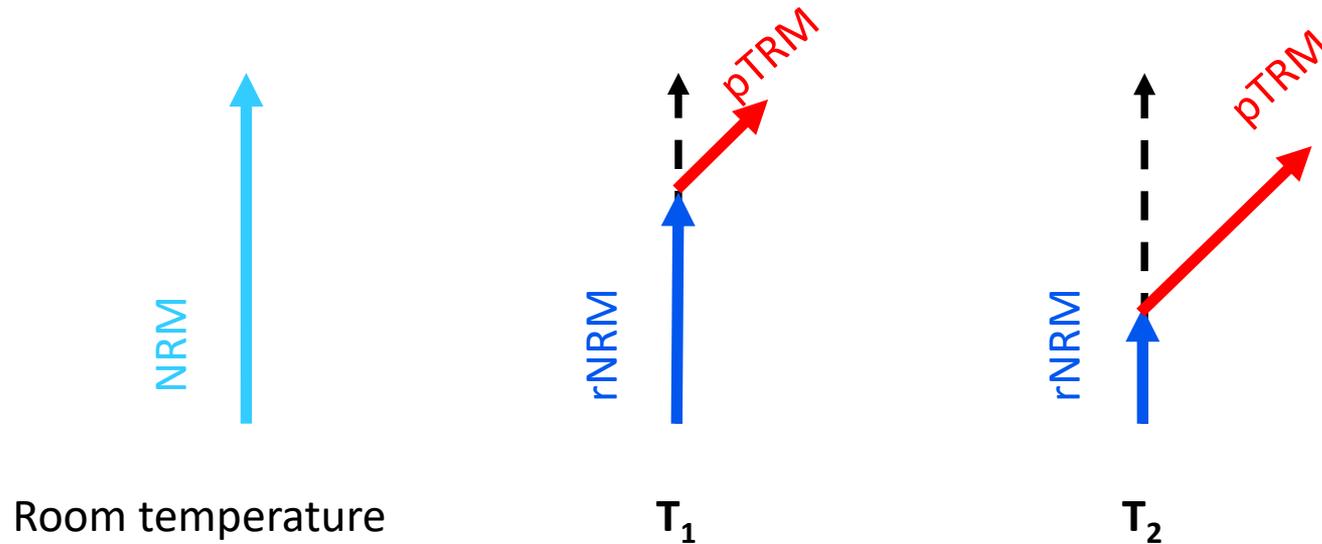
rNRM = residual Natural Remanent Magnetisation

pTRM = partial Thermo Remanent Magnetisation



rNRM = residual Natural Remanent Magnetisation

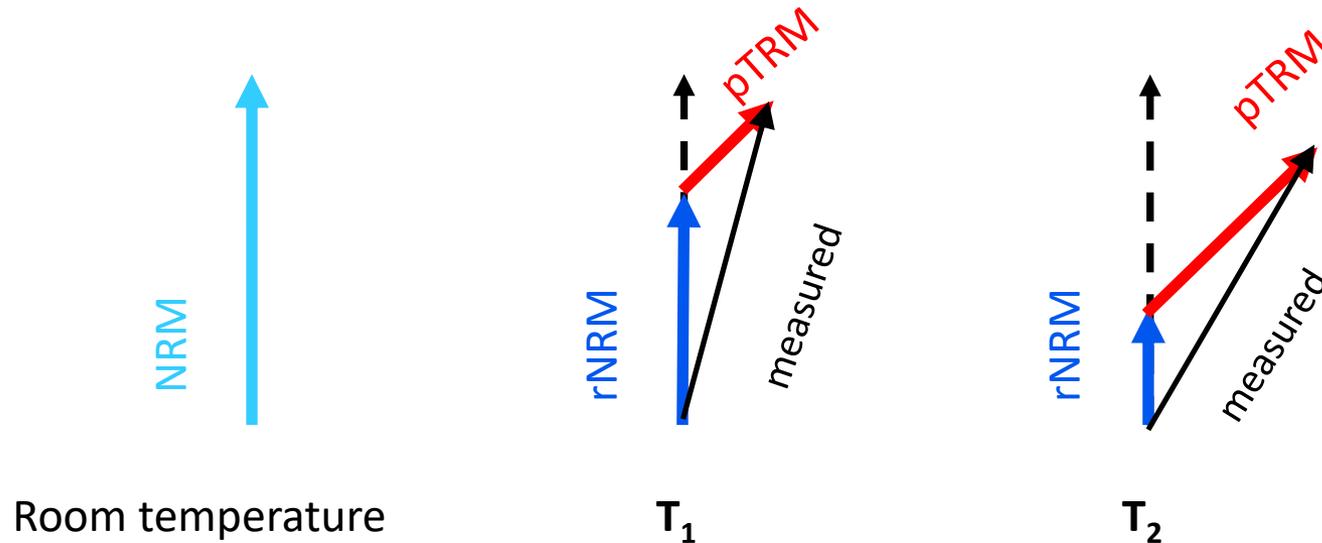
pTRM = partial Thermo Remanent Magnetisation



Reheating a sample and cooling in a magnetic field replaces the original NRM by a TRM.

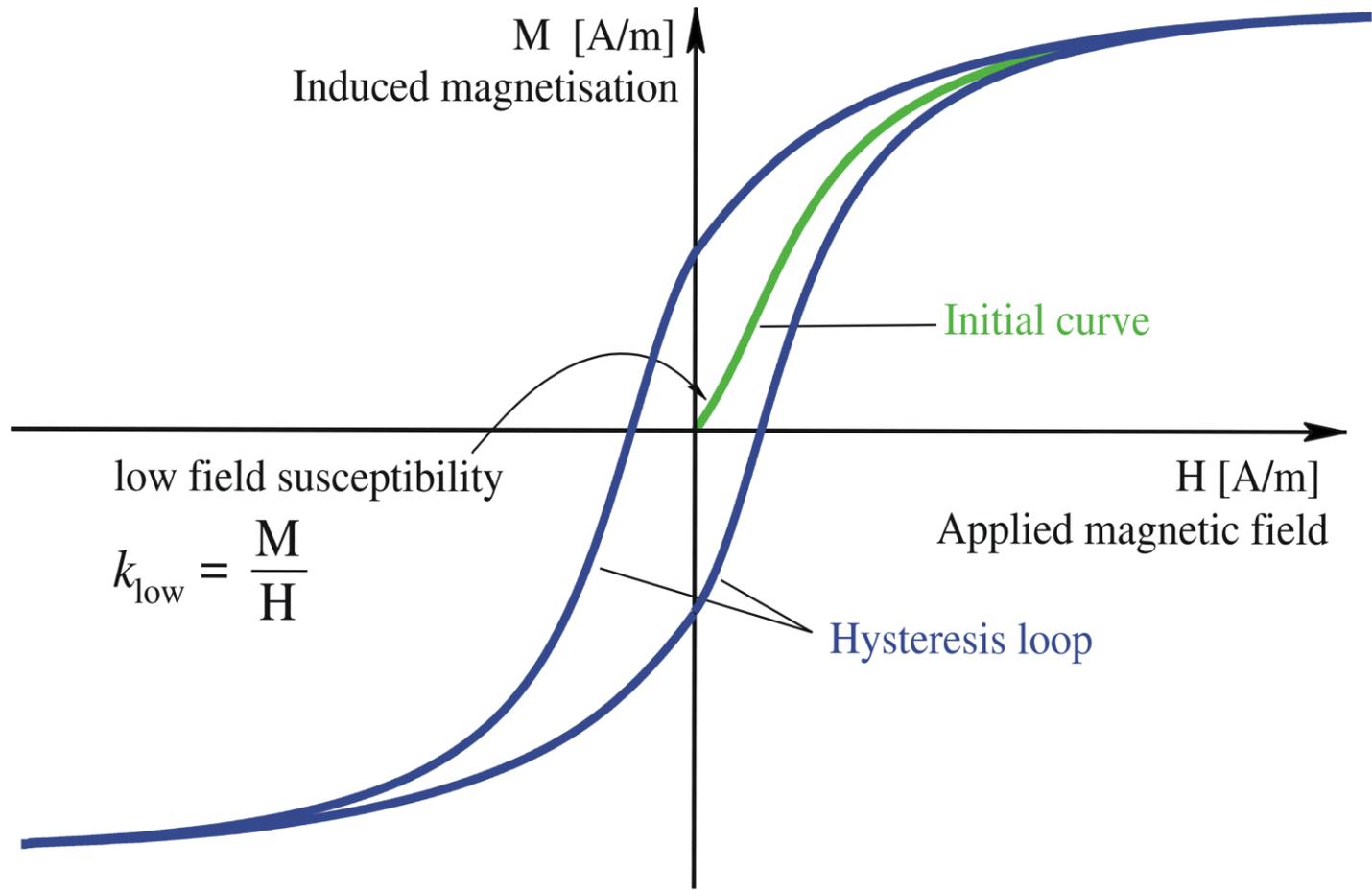
rNRM = residual Natural Remanent Magnetisation

pTRM = partial Thermo Remanent Magnetisation



- Field during laboratory heating not always applied along the direction of the NRM
- pTRM has a different direction than the rNRM
- Double heating in opposite fields to separate between rNRM and pTRM

After Thellier and Thellier 1959



In the past

$$M_{TRM_{Pal}} = \kappa_{Pal} \cdot H_{amb_{Pal}}$$



In the laboratory

$$M_{TRM_{Lab}} = \kappa_{Lab} \cdot H_{amb_{Lab}}$$

If during laboratory re-heating  $\kappa$  does not change

*i.e.,*

$$\kappa_{Pal} = \kappa_{Lab}$$

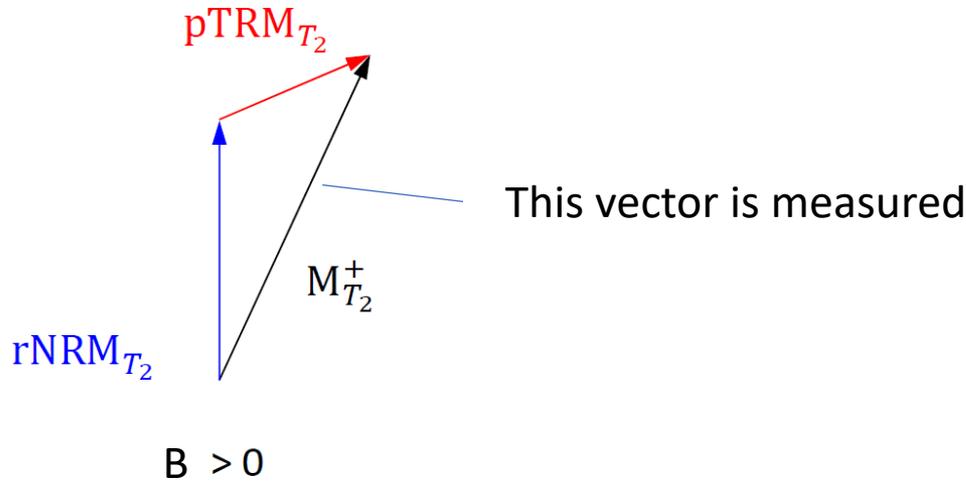
One can determine the palaeointensity as follows:



$$H_{amb_{Pal}} = \frac{M_{TRM_{Pal}}}{M_{TRM_{Lab}}} H_{amb_{Lab}}$$

## Regular step at temperature $T_2$

1<sup>st</sup> heating at  $T_2$



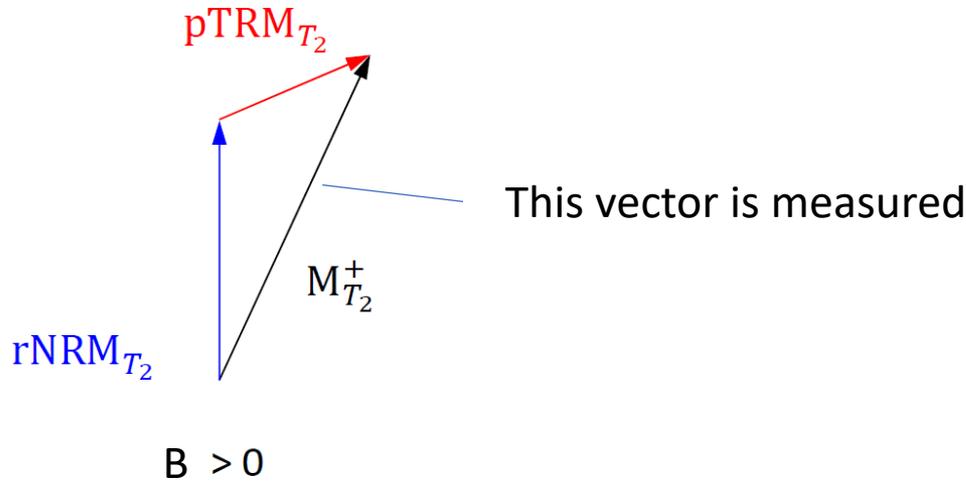
$$M_{T_2}^+ = rNRM_{T_2} + pTRM_{T_2}$$

TRM not in NRM direction

Double heating with TRM in two opposite field directions to separate NRM & TRM

## Regular step at temperature $T_2$

1<sup>st</sup> heating at  $T_2$



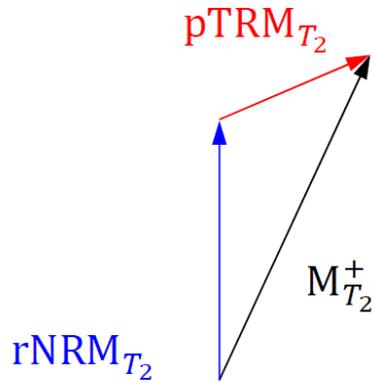
$$M_{T_2}^+ = rNRM_{T_2} + pTRM_{T_2}$$

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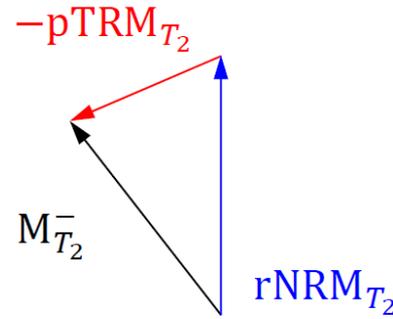
## Regular step at temperature $T_2$

1<sup>st</sup> heating at  $T_2$



$B > 0$

2<sup>nd</sup> heating at  $T_2$



$B < 0$

$$M_{T_2}^+ = rNRM_{T_2} + pTRM_{T_2}$$

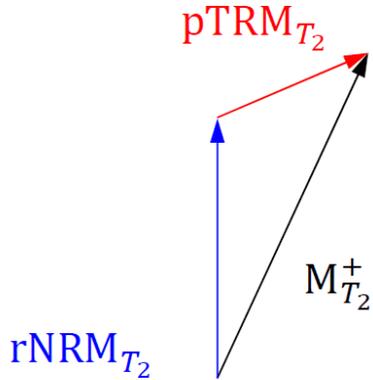
$$M_{T_2}^- = rNRM_{T_2} - pTRM_{T_2}$$

TRM not in NRM direction

Double heating with TRM in two opposite field directions to separate NRM & TRM

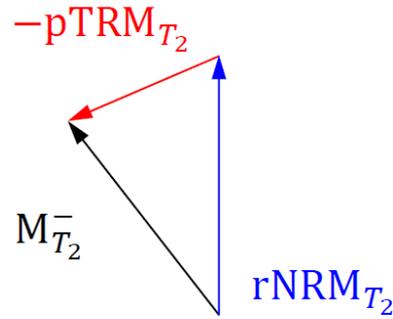
## Regular step at temperature $T_2$

1<sup>st</sup> heating at  $T_2$



$B > 0$

2<sup>nd</sup> heating at  $T_2$



$B < 0$

TRM not in NRM direction

Double heating with TRM in two opposite field directions to separate NRM & TRM

$$M_{T_2}^+ = rNRM_{T_2} + pTRM_{T_2}$$

$$M_{T_2}^- = rNRM_{T_2} - pTRM_{T_2}$$

$$rNRM_{T_2} = \frac{1}{2} (M_{T_2}^+ + M_{T_2}^-)$$

$$pTRM_{T_2} = \frac{1}{2} (M_{T_2}^+ - M_{T_2}^-)$$

# The 3 Thellier's laws of pTRM for single domain grains

- *Linearity*

TRM intensity is a linear function of field intensity

- *Additivity*

The total TRM is a sum of different partial TRM's (*pTRM*) acquired at different temperatures

- *Independence*

A *pTRM* ( $T_1, T_2$ ) is not influenced by heating and cooling below  $T_1$  and is completely removed above  $T_2$

This requires an additional fact:  $T_B = T_{UB}$

For each SD particle blocking and unblocking temperatures are equal, but not for MD grains

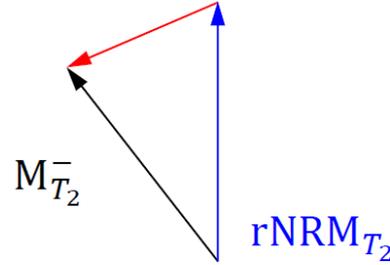
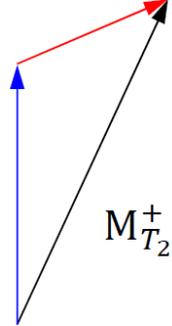
Regular step at temperature  $T_2$

1<sup>st</sup> heating at  $T_2$

2<sup>nd</sup> heating at  $T_2$

$pTRM_{T_2}$

$-pTRM_{T_2}$



$B > 0$

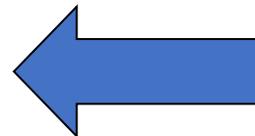
$B < 0$

Repeating a double heating step at lower temperature ( $T_1$ ) in order to:

1. to check for thermal alteration
2. to see if a  $pTRM$  (at  $T_2$ ) can be completely removed

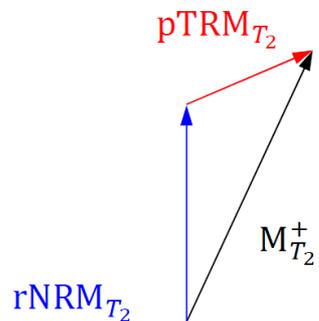
$$T_{\text{blocking}} = T_{\text{unblocking}}$$

$rNRM$  at  $T_2$  should equal the  $rNRM$  of the check



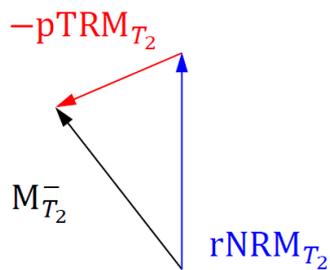
Regular step at temperature  $T_2$

1<sup>st</sup> heating at  $T_2$



$B > 0$

2<sup>nd</sup> heating at  $T_2$

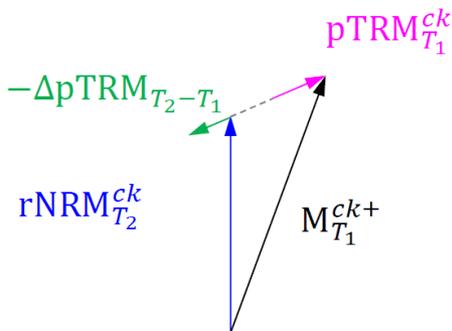


$B < 0$

Regular measurement at  $T_2$

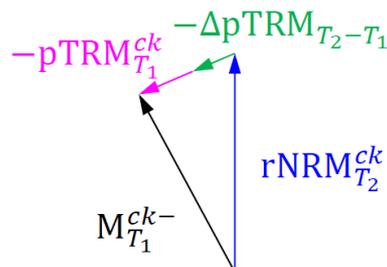
Check step at temperature  $T_1 < T_2$

1<sup>st</sup> heating at  $T_1$



$B > 0$

2<sup>nd</sup> heating at  $T_1$



$B < 0$

Check measurement at  $T_1$

with  $T_1 < T_2$

$$pTRM_{T_1}^{ck} \triangleq pTRM_{T_1}$$

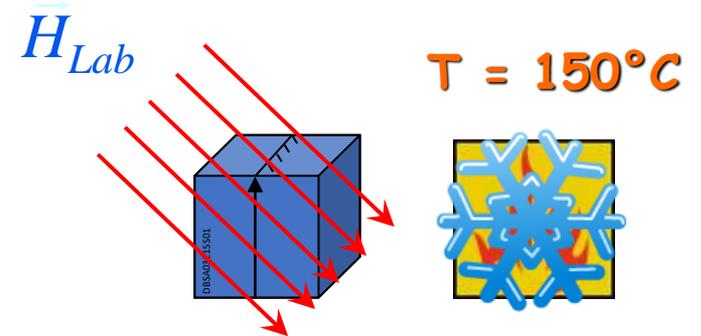
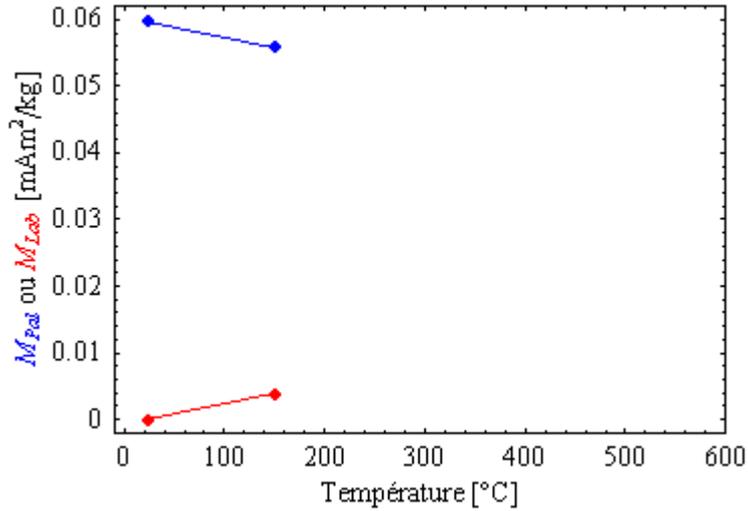
$$rNRM_{T_2}^{ck} = M_{T_2}^{ck-} + \frac{1}{2} (M_{T_2}^+ - M_{T_2}^-) \triangleq \frac{1}{2} (M_{T_2}^+ + M_{T_2}^-) = rNRM_{T_2}$$

Kosareva et al. 2020

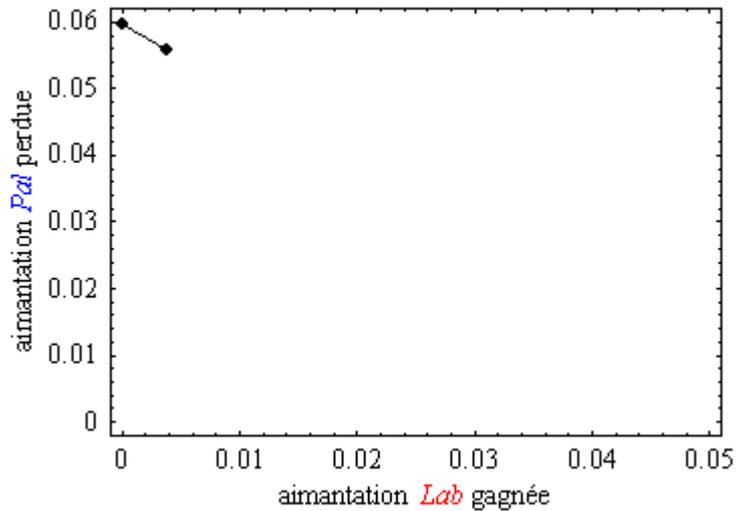
Theulier, É. & Theulier, O. 1959:

$T$  variable and  $H_{Lab} = \text{const}$

Désaimantation de la  $M_{Pal}$  et acquisition de la  $M_{Lab}$

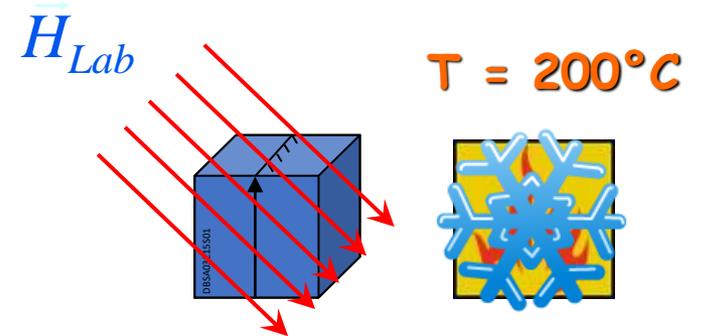
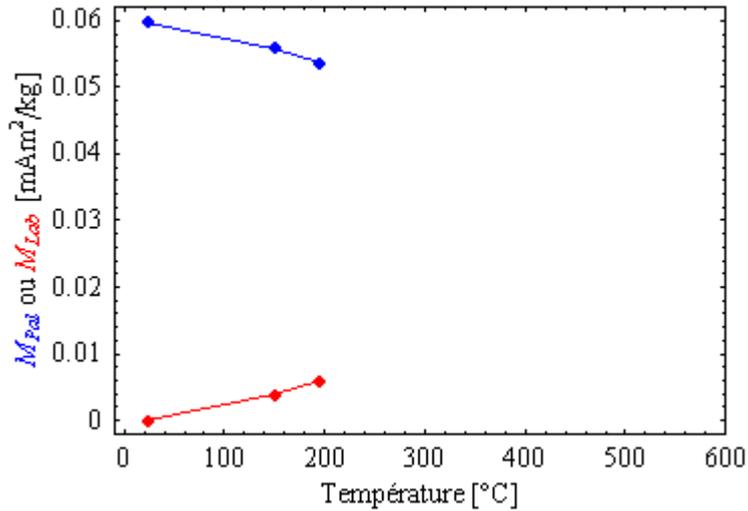


$M_{Pal}$  versus  $M_{Lab}$

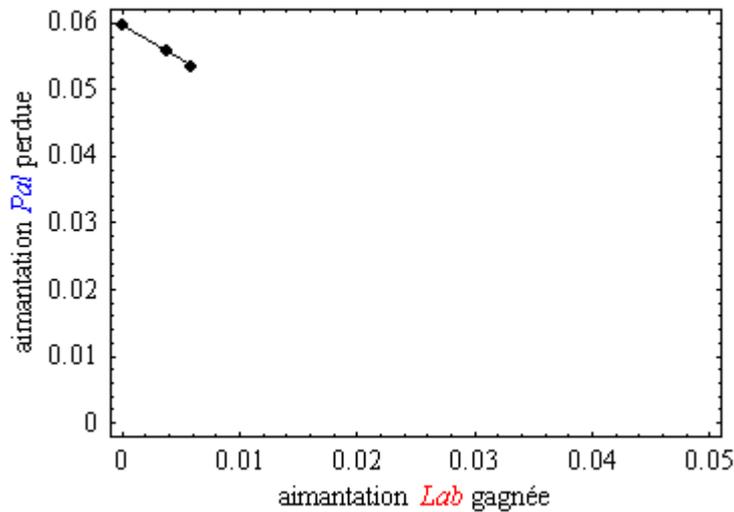


Theulier, É. & Theulier, O. 1959:  $T$  variable et  $H_{Lab} = \text{const}$

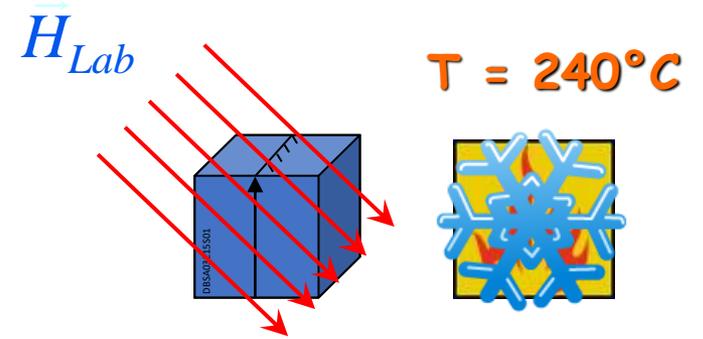
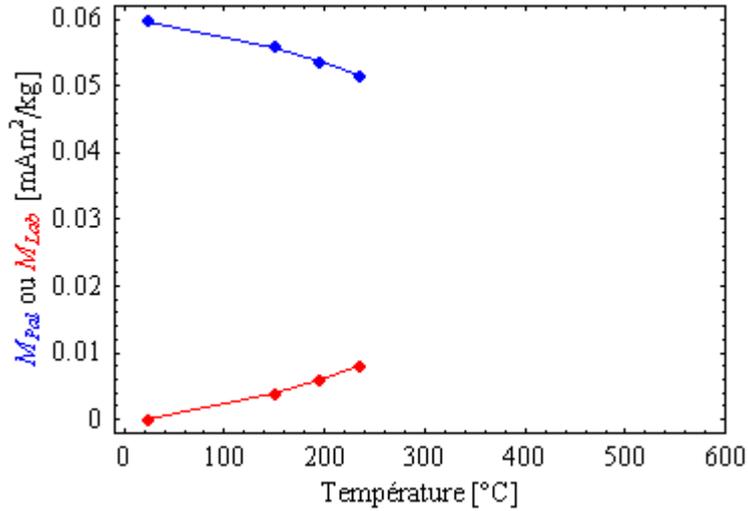
Désaimantation de la  $M_{Pal}$  et acquisition de la  $M_{Lab}$



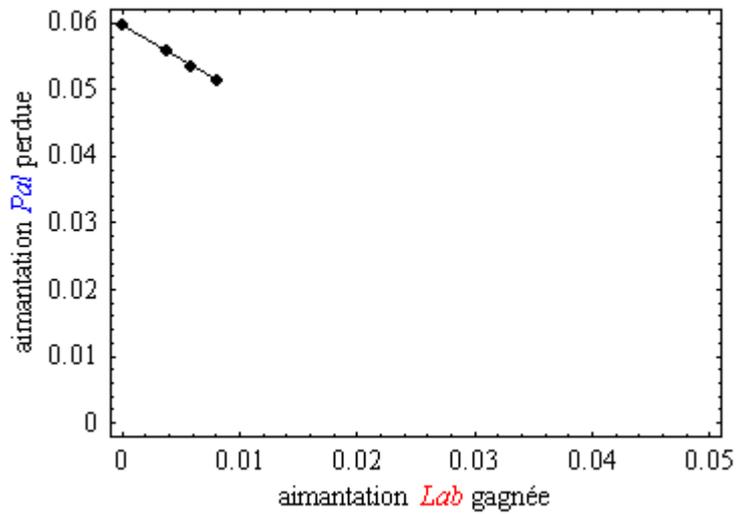
$M_{Pal}$  versus  $M_{Lab}$



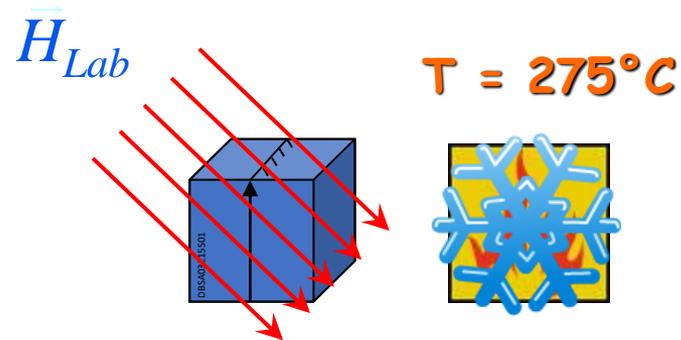
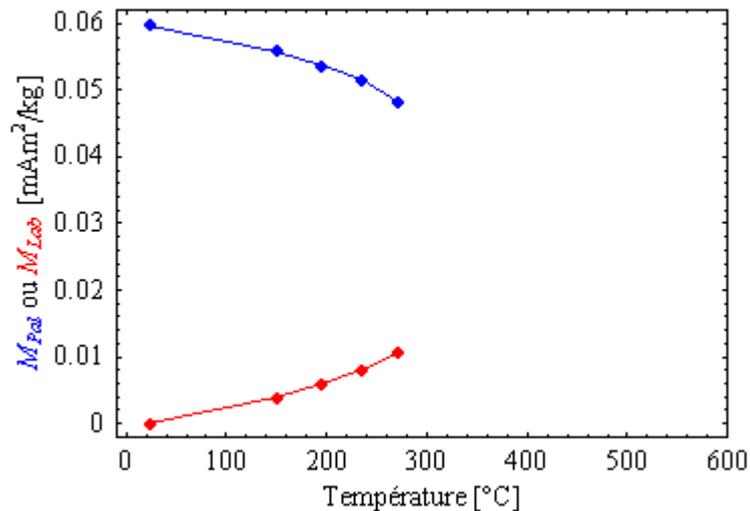
Désaimantation de la  $M_{Pal}$  et acquisition de la  $M_{Lab}$



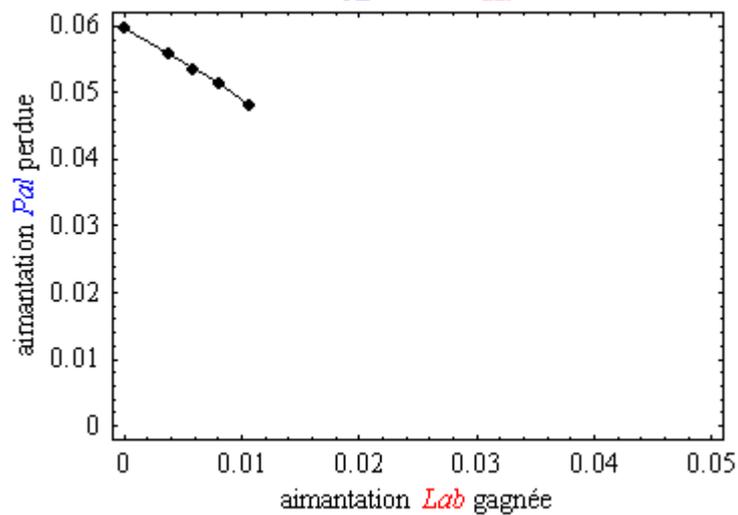
$M_{Pal}$  versus  $M_{Lab}$



Désaimantation de la  $M_{Pal}$  et acquisition de la  $M_{Lab}$

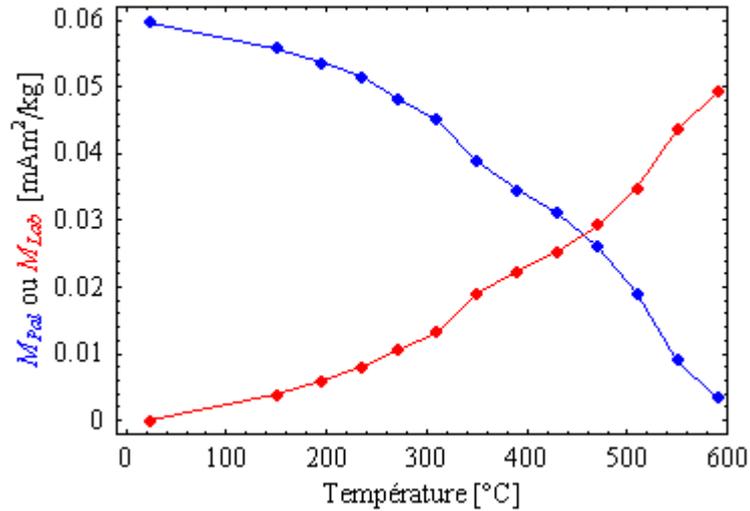


$M_{Pal}$  versus  $M_{Lab}$

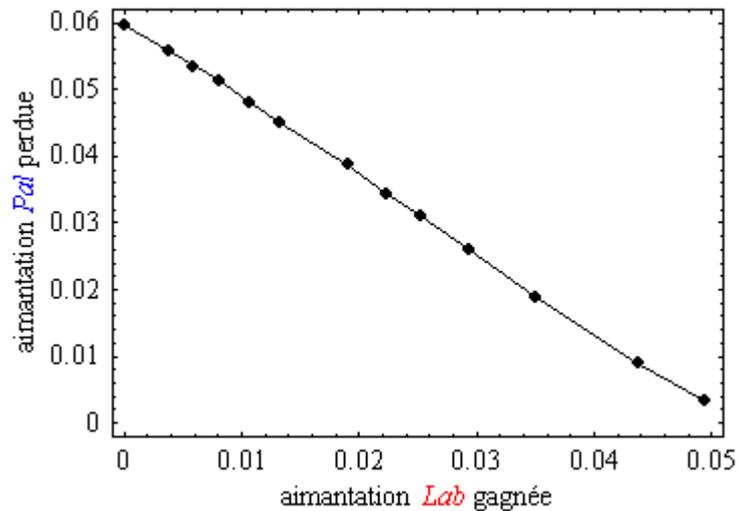


Theilier, É. & Theilier, O. 1959:  $T$  variable et  $H_{Lab} = \text{const}$

Désaimantation de la  $M_{Pal}$  et acquisition de la  $M_{Lab}$

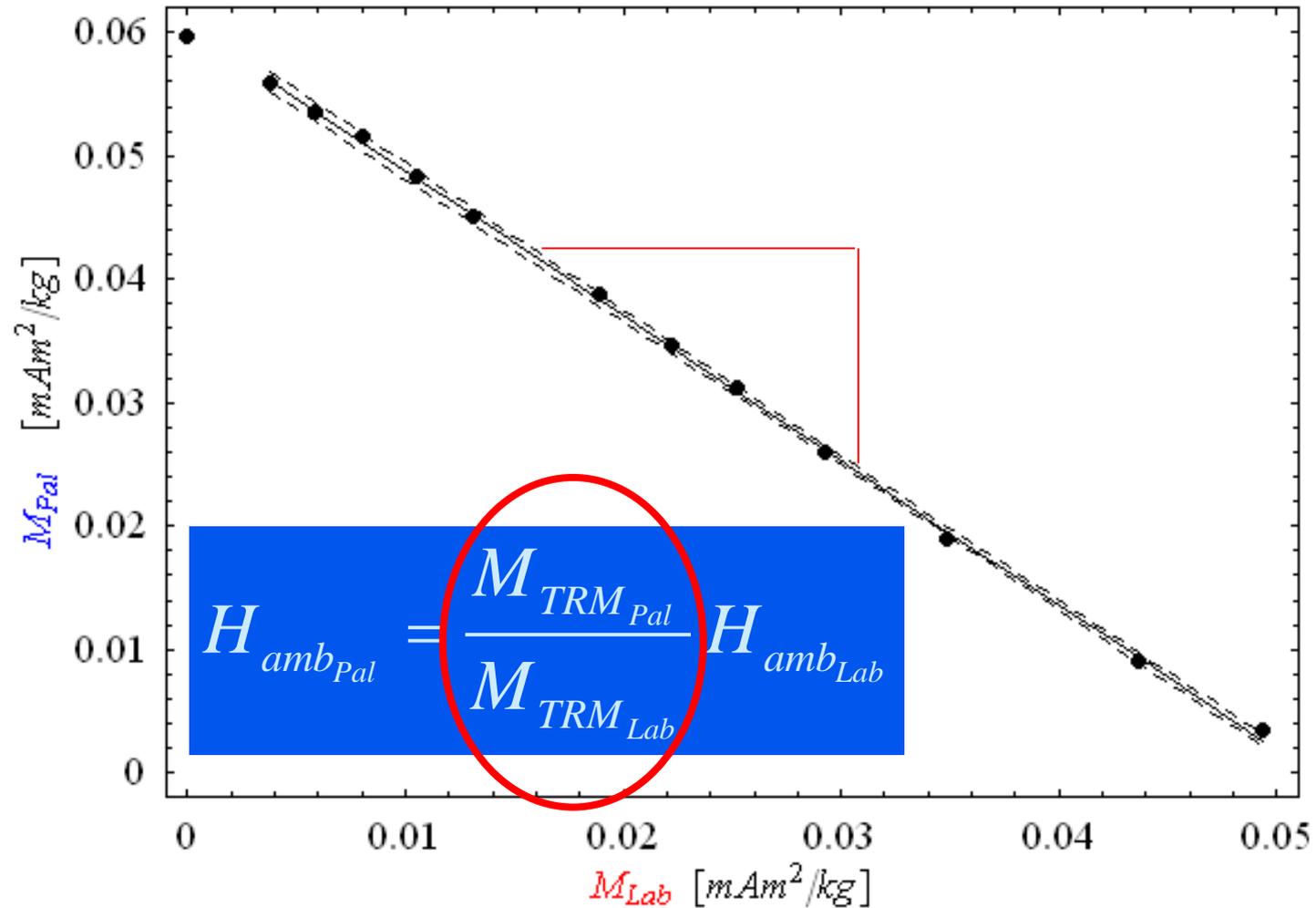


$M_{Pal}$  versus  $M_{Lab}$

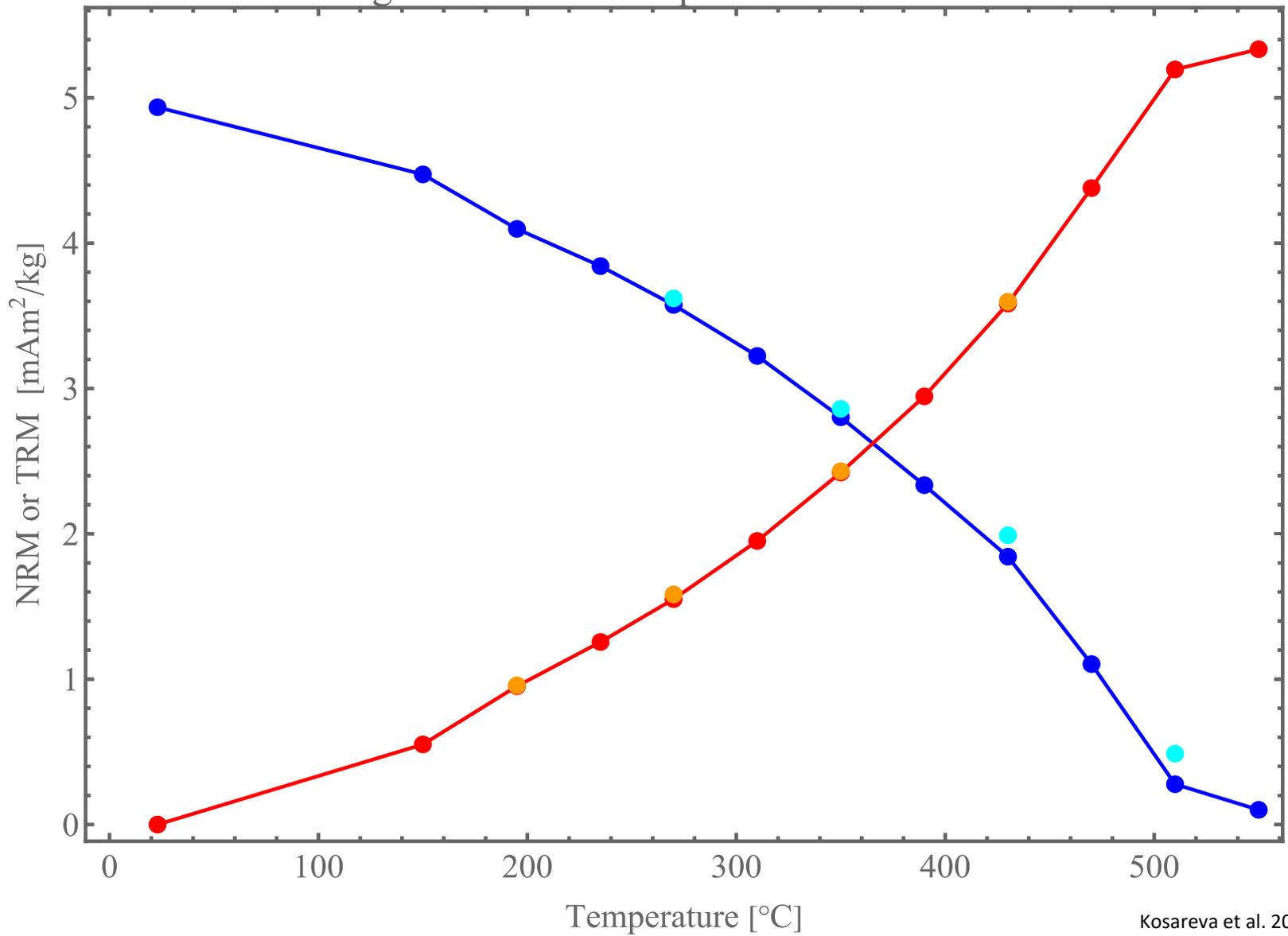


Thellier, É. & Thellier, O. 1959:  $T = \text{const.}$  et  $H_{Lab}$  variable

[Weighted,  $H_{Pal} = 76.1, \pm 0.7, \mu T, R^2 = 0.9991$ ]



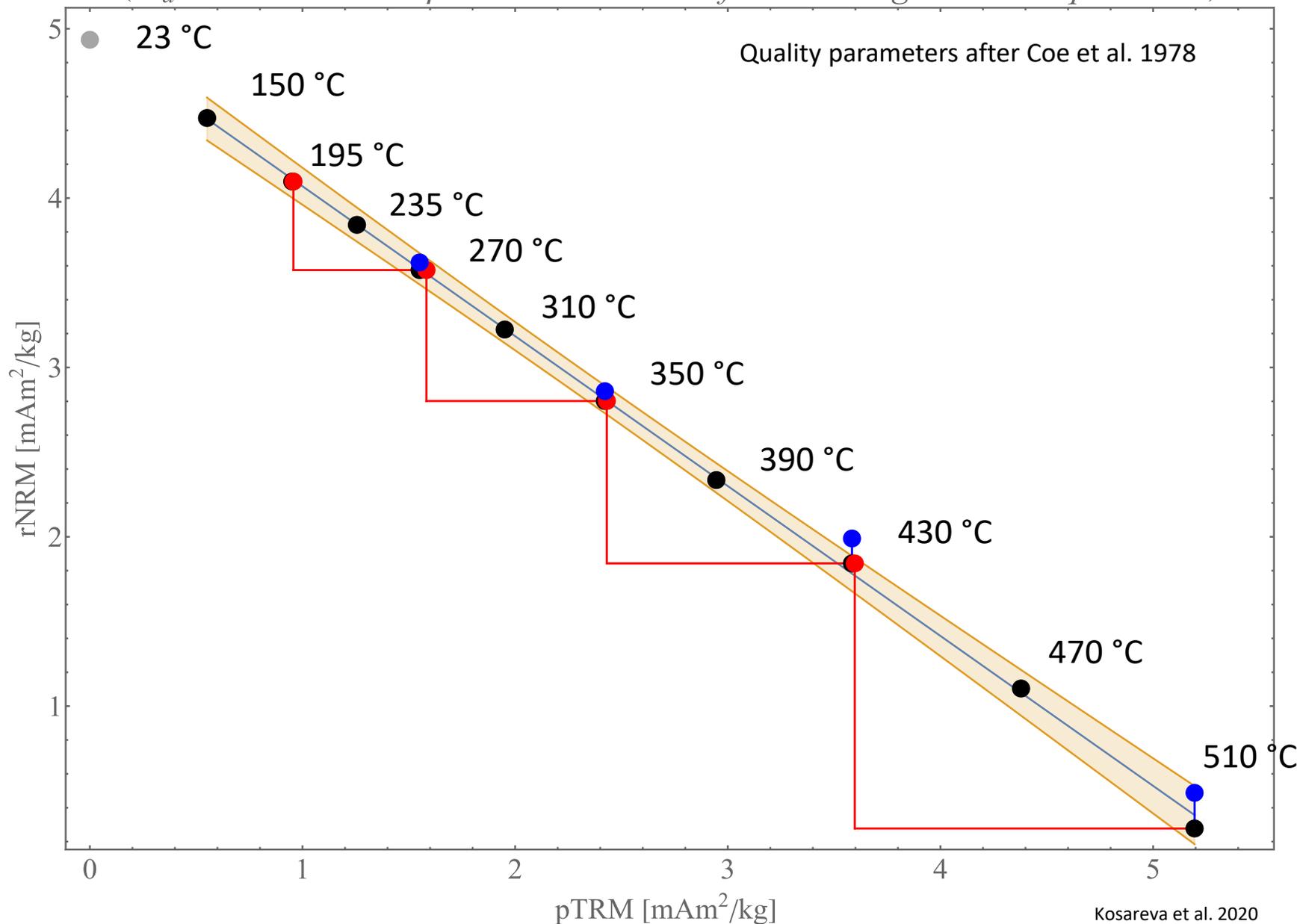
# Demagnetisation and acquisition of NRM & TRM



Kosareva et al. 2020

$(F_a = 62.0 \pm 0.5 \mu\text{T} \quad R^2 = 0.9994 \quad f = 0.847 \quad g = 0.871 \quad q = 87.1)$

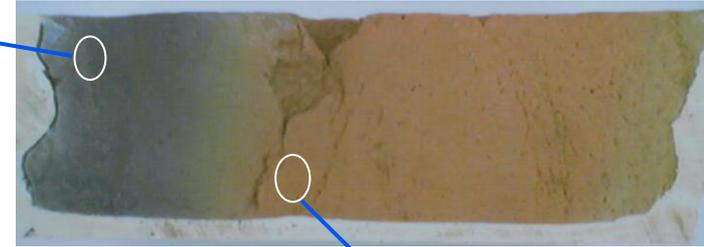
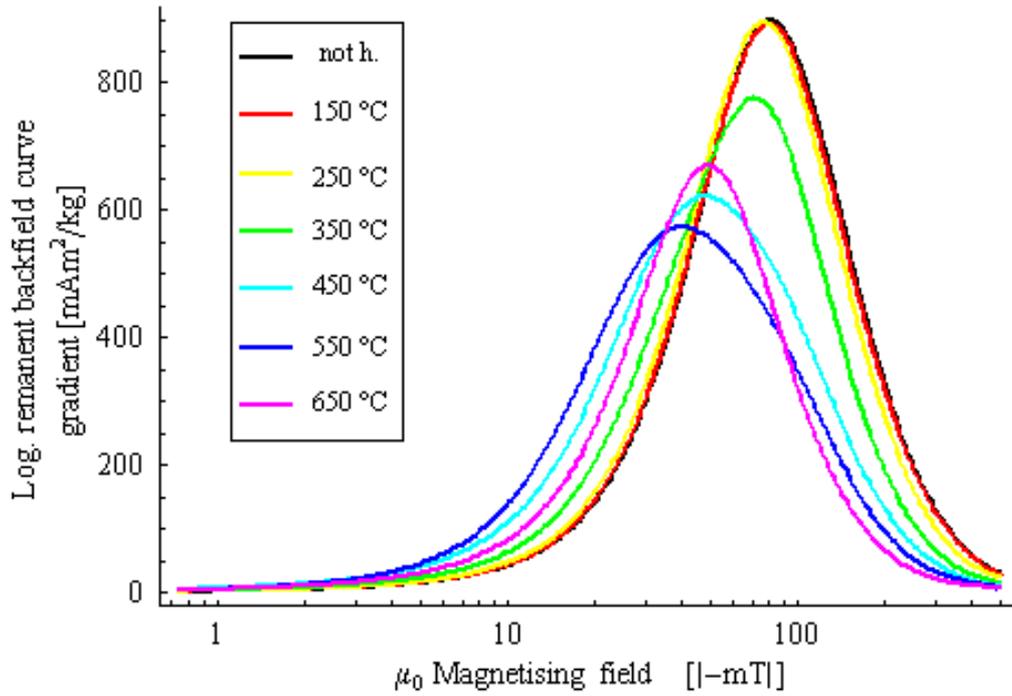
Quality parameters after Coe et al. 1978



Kosareva et al. 2020

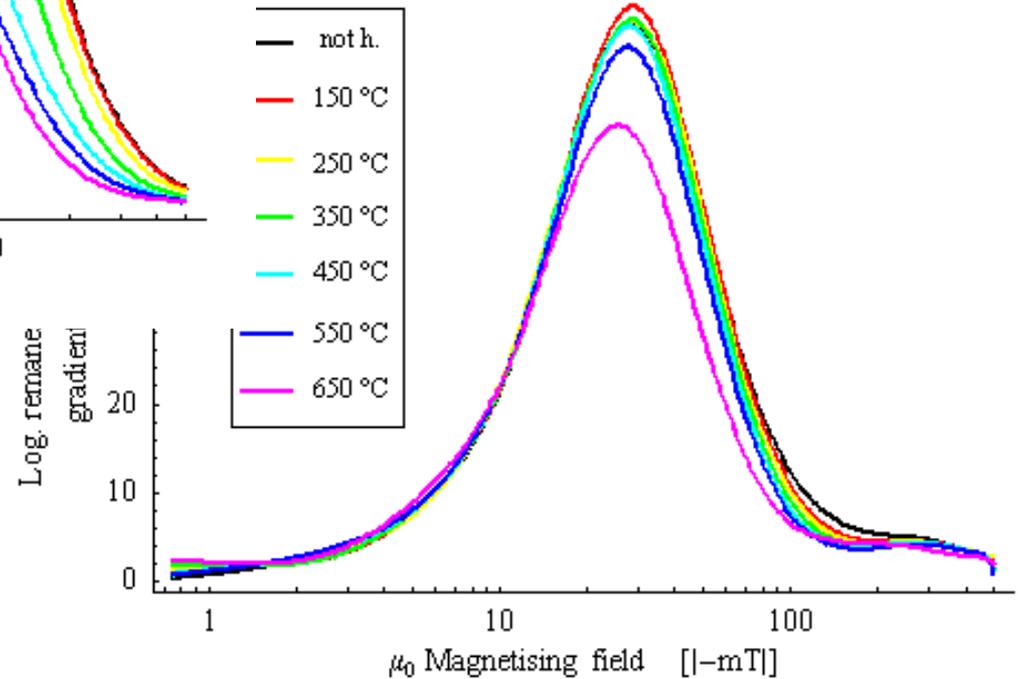
## Vitrified crust

Backfield curve coercivity spectra 0 – 25 mm

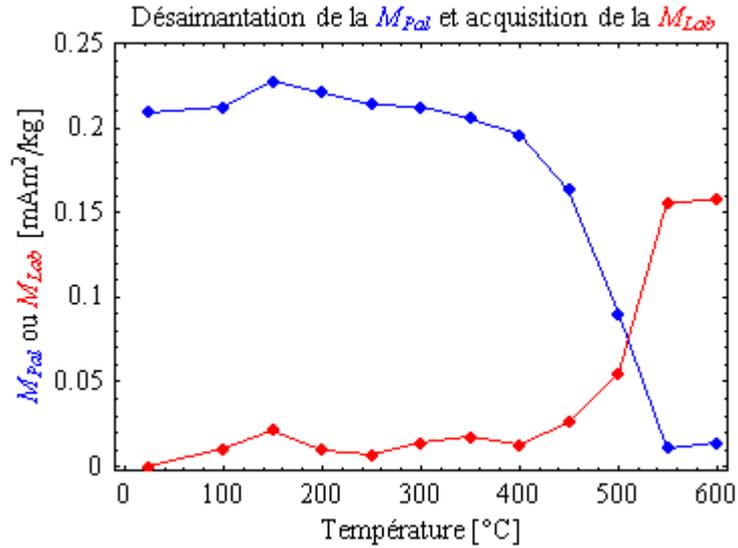
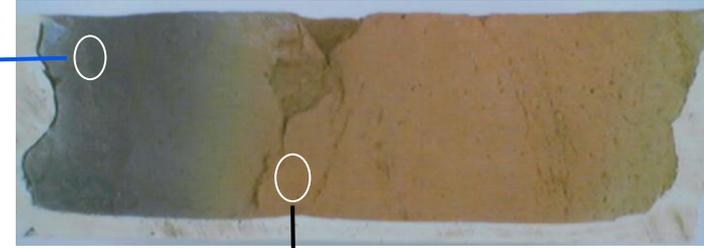


Well baked

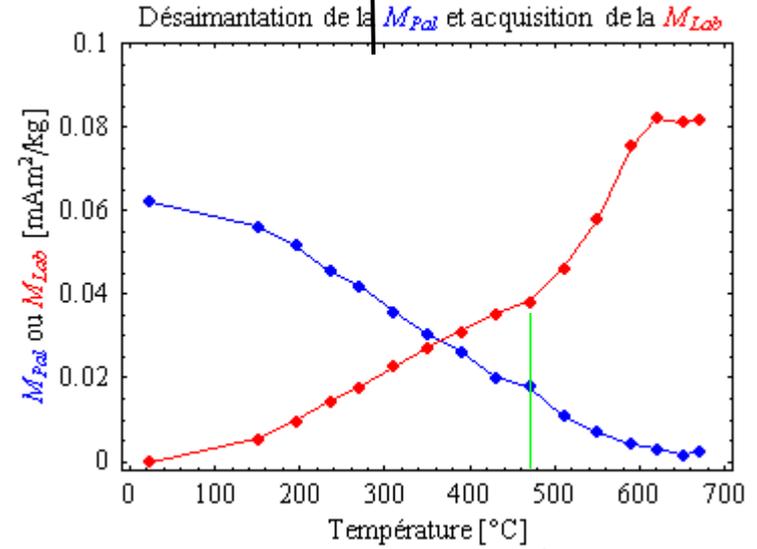
Backfield curve coercivity spectra 65 – 80 mm



# Vitrified crust



Well baked



$M_{Pal}$  versus  $M_{Lab}$

